



ANSWER BOOK

Momentum and impulse

Further Mechanics 1 · Year FM

6 questions · 20 marks

NAVY EDITION

SECTION A · Warm-up

- A1** Impulse is force times the time it acts, measured in newton seconds, and equals the [2] change in momentum. Stopping a body removes its momentum; reversing it removes that momentum and supplies the same again the other way, so the change is the sum of the two speeds rather than just the first.
- A2** Taking the outgoing direction as positive, $u = -12$ and $v = 18$. Impulse = $0.2(18) - 0.2(-12)$ = $3.6 + 2.4 = 6 \text{ N s}$. Average force = $6/0.03 = 200 \text{ N}$.

SECTION B · Standard

- B1** Momentum before = $5(3) + 4(1) = 19 \text{ N s}$. After: $5(1.8) + 4v = 19$, so $4v = 19 - 9 = 10$ and $v = 2.5 \text{ m/s}$. The struck sphere has sped up and the striking one slowed, which is what must happen if they are not to pass through each other.
- B2** Total momentum before is zero, since nothing is moving. After: $3(6) + 5v = 0$, so $5v = -18$ and $v = -3.6 \text{ m/s}$: the 5 kg piece moves at 3.6 m/s in the opposite direction. An explosion is conservation of momentum with the masses grouped the other way round.
- B3** The change in momentum is fixed by the speeds before and after, so the impulse is [3] fixed. Since impulse is force times time, spreading the same impulse over a longer contact reduces the average force in proportion. Crumple zones, airbags, thick landing mats and bending the knees on landing all work this way.

SECTION C · Stretch

- C1** Speed on landing = $\sqrt{2 \times 9.8 \times 5} = 9.90 \text{ m/s}$ downwards. Rebound speed = $\sqrt{2 \times 9.8 \times 1.8} = 5.94 \text{ m/s}$ upwards. Taking upwards as positive, the impulse is $2(5.94) - 2(-9.90) = 11.88 + 19.80 = 31.7 \text{ N s}$ upwards. Momentum is not conserved for the ball alone here, because the ground is an external body.